Vibration Signature Analysis of Multistage Gear Transmission

(MASA-TH-101442) VIERATICH SIGNATURE ABALUSIS OF BULTISTAGE GRAB TEABSRISSION (MASA) 14 F CSCL 131

N89-18685

Unclas G3/37 0185236

F.K. Choy, Y.K. Tu, and M. Savage University of Akron Akron, Ohio

and

D.P. Townsend Lewis Research Center Cleveland, Ohio

Prepared for the Fifth International Power Transmission and Gearing Conference sponsored by the American Society of Mechanical Engineers Chicago, Illinois, April 25-27, 1989





VIBRATION SIGNATURE ANALYSIS OF MULTISTAGE GEAR TRANSMISSION

F.K. Choy, Y.K. Tu, and M. Savage Department of Mechanical Engineering University of Akron Akron, Ohio 44235

and

D.P. Townsend National Aeronautics and Space Administration Lewis Research Center Cleveland, Ohio 44135

ADCIDACI					
ABSTRACT		[1]	identity matrix		
overall syste	sis is presented for multistage multimesh sion systems. The analysis predicts the m dynamics and the transmissibility to the	[J]	rotational (mass moment of inertia) matrix		
gear box or the enclosed structure. The modal synthesis approach of the analysis treats the uncoupled lateral/torsional modal characteristics of each stage or component		KKtiK	gear mesh stiffness between $i^{\mbox{th}}$ and $k^{\mbox{th}}$ rotor		
evaluates the	ently. The vibration signature analysis global dynamics counling in the system	[K _S]	shaft stiffness matrix		
component or :	nthesizes the interaction of each modal stage with the nonlinear gear mesh dynamics Support geometry characteristics. The	[K _{xx}].[C _{xy}] [K _{yx}].[K _{yy}]	bearing direct and cross-coupling stiff- ness matrix		
events to dete	lates transient and steady state vibration	[M]	mass-inertia matrix		
motion excitat	es, rotor imbalances and support gear box	Rci	radius of gear in the i th rotor		
the system, ar	neme examines the overall dynamic characteristics of e system, and the individual modal component		gear generated torque		
responses. The gear box vibration analysis also examines the spectral characteristics of the support system.		X_{F},Y_{F}	gear forces in x- and y-directions		
NOMENCLATURE		^x ci· ^y ci	gear displacements in x- and y-direction of the i th rotor		
A _i (t)	moda! function of the i th mode in x-direction	αĶi	angle of tooth mesh between k th and i th rotor		
A _{ti} (t)	modal function of the $i^{\mbox{th}}$ mode in Θ -direction	[\\^2],[\\tat^2]	lateral and torsional eigenvalue diago- nal matrices		
B _i (t)	modal function of the $i^{\mbox{th}}$ mode in y-direction	[φ] _K ,[φt] _K	lateral and torsional orthonormal eigen- vector matrices of the k th rotor		
[C _{xx}],[Cxy] [C _{yx}],[C _{yy}]	bearing direct and cross-coupling damping matrices	INTRODUCTION			
[Ct]	torsional damping matrix	systems contin	and science of analyzing gear transmission use to improve. Power transfer is neces-		
$F_x(t), F_y(t)$	external excitation forces	Today's engineers and researchers now delve into areas of innovative advancement. They seek to quantify, establish, and codify methods which can make gear sys-			
F _t (t)	external excited moment				
$F_{Gx}(t), F_{Gy}(t)$	gear mesh force in x- and y-directions	nology. Their objectives are basic improvements in			
For(t)	gear mesh torque	transmission life, efficiency, maintainability, and			

transmission life, efficiency, maintainability, and reliability. They also seek to reduce noise, weight and

F_{GT}(t)

gear mesh torque

vibration during transmission operation. Gear transmission system studies have included two main efforts. These studies have been on: (1) the localized tooth stress/thermal effects during gear interactions, and (2) the overall global dynamic behavior of the systems.

The objective of this paper is to analyze the overall global dynamics of multistage gear systems using localized gear stress/displacement relationships. Equations of motion are developed for each gear stage in both lateral and torsional directions. Gear mesh force and moment relationships couple the lateral and torsional vibrations and the dynamics of each gear stage. Orthonormal modes of the system transform the equations of motion to modal coordinates. A self-adaptive variable time stepping integration scheme calculates the transient dynamics of the system (Choy, 1988). A typical three-stage multimesh gear system serves as an example. The results of the global dynamics of the system are examined in both time and frequency domains using a FFT (Fast Fourier Transform) procedure (Choy, 1987 and 1988).

DEVELOPMENT OF EQUATIONS OF MOTION

For a single stage multimass gear-rotor-bearing system, the equations of motion in the X-Z plane in matrix form (Choy, 1987; David, 1987 and 1988) are:

$$[M]\{\ddot{x}\} + [C_{XX}]\{\dot{x}\} + [C_{XY}]\{\dot{y}\} + [K_{XX} + K_S]\{x\} + [K_{XY}]\{y\} = \{F_X(t)\} + \{F_{GX}(t)\}$$
 (1)

In the Y-Z plane, the equations are:

Here $F_{\rm X}$ and $F_{\rm y}$ are force excitations from the effects of imbalance, shaft bow and support base motion. $F_{\rm G_{\rm X}}$ and $F_{\rm G_{\rm y}}$ are forces induced from the gear mesh interaction with other stages.

$$[J]\{\dot{\Theta}\} + [C_T]\{\dot{\Theta}\} + [K_T]\{\Theta\} = \{F_T(t)\} + \{F_{G_T}(t)\}$$
 (3)

In Eq. 3, Ft represents the externally induced torque and FGt represents the gear mesh induced moment. Note that Eqs. 1 to 3 repeat for each gear stage. The gear mesh forces couple the force equations for each stage to each other and the torsional equations to the lateral equations (David, 1987; Lin, 1988; Mitchell, 1983). Torsional, lateral and interstage coupling relationships appear in the next section.

COUPLING IN GEAR MESHES

Gear mesh forces and moments are functions of the relative motion and rotation between the two meshing gears and the corresponding gear mesh stiffnesses. These stiffnesses vary in a repeating nonlinear pattern (Cornell, 1981; Pike, 1987; Savage, 1986). The pattern repeats with every tooth pair engagement and acts as a source of excitation at each mesh. Figure 1 shows the coordinate system for the following force and moment equations. Summing the forces, which act on the Kth stage of the system, in the X-direction results in:

$$X_{F} = \sum_{\substack{i=1\\i\neq K}}^{n} K_{tKi} \left[-R_{ci} \theta_{ci} - R_{cK} \theta_{cK} + (x_{ci} - x_{cK}) \cos \alpha_{Ki} \right]$$

+
$$(y_{ci} - y_{cK}) \sin \alpha_{Ki} \cos \alpha_{Ki}$$
 (4)

Summing the forces in the Y-direction results in:

$$X_{F} = \sum_{\substack{i=1\\i\neq K}}^{n} K_{tKi} \left[-R_{ci} \theta_{ci} - R_{cK} \theta_{cK} + (x_{ci} - x_{cK}) \cos \alpha_{Ki} \right]$$

+
$$(y_{ci} - y_{ck}) \sin \alpha_{ki} \sin \alpha_{ki}$$
 (5)

Summing moment in the Z-direction results in:

$$T_{F} = \sum_{\substack{i=1\\i\neq K}}^{n} R_{cK} \left[K_{tKi} \left(-R_{ci} \theta_{ci} - R_{cK} \theta_{cK} \right) \right]$$
 (6)

where n is the number of stages in the system.

MODAL ANALYSIS

To reduce the computational effort, the number of degrees-of-freedom of the system is reduced through modal transformation. Orthonormal modes for each stage result from solving the system homogeneous characteristic equations. For lateral modes, the equations are:

[M]{
$$\ddot{x}$$
} + $\left[K_{S} + \frac{K_{XX} + K_{YY}}{2}\right]$ { x } = 0 (7)

For torsional modes, the equations are:

$$[J]\{\Theta\} + [K_T]\{\Theta\} = 0$$
 (8)

Averaged X- and Y-direction support stiffnesses bring the calculated mode shapes closer to reality. Using the modal expansion theorem yields (Choy, 1987):

$$\{x\} = \sum_{i=1}^{m} A_{i}\{\phi_{i}\}$$
 (9)

$$\{y\} = \sum_{i=1}^{m} B_{i}\{\phi_{i}\}$$
 (10)

$$\{\Theta\} = \sum_{i=1}^{m} A_{ti} \{\phi_{ti}\}$$
 (11)

where m is the number of modes used. With the follow-ing orthogonality conditions,

ORIGINAL PAGE IS OF POOR QUALITY

ORIGINAL PAGE IS OF POOR QUALITY

$$[\phi]^{\mathsf{T}}[\mathsf{K}][\phi] = [\lambda^2]$$

$$\begin{bmatrix} \phi_t \end{bmatrix}^{\mathsf{T}} \begin{bmatrix} \mathsf{K}_t \end{bmatrix} \begin{bmatrix} \phi_t \end{bmatrix} = \begin{bmatrix} \lambda_t^2 \end{bmatrix}$$

the equations of motion in modal coordinates become:

$$\begin{aligned} \{\ddot{A}\} + \left[\phi\right]^{T} \left[C_{xx}\right] \left[\phi\right] \{\dot{A}\} + \left[\phi\right]^{T} \left[C_{xy}\right] \left[\phi\right] \{\dot{B}\} + \left[\lambda^{2}\right] \{A\} \\ + \left[\phi\right]^{T} \left[K_{xy}\right] \left[\phi\right] \{B\} = \left[\phi\right]^{T} \{F_{x}(t) + F_{Gx}(t)\} \end{aligned} \tag{14}$$

$$\{\ddot{\mathsf{B}}\} + [\phi]^{\mathsf{T}} [\mathsf{C}_{yy}] [\phi] \{\dot{\mathsf{B}}\} + [\phi]^{\mathsf{T}} [\mathsf{C}_{yx}] [\phi] \{\dot{\mathsf{A}}\} + [\lambda^2] \{\mathsf{B}\}$$

+
$$[\phi]^T [K_{yx}] [\phi] [A] = [\phi]^T [F_y(t) + F_{Gy}(t)]$$
 (15)

$$\{\ddot{\textbf{A}}_t\} \ + \ \left[\phi_t\right]^\intercal \left[\textbf{C}_T\right] \left[\phi_t\right] \{\dot{\textbf{A}}_t\} \ + \ \left[\lambda_t^2\right] \{\textbf{A}_t\}$$

$$= \left[\phi_{t} \right]^{T} \left\{ F_{t}(t) + F_{Gt}(t) \right\}$$
 (16)

Thus, the gear mesh force and moment coupling equations for the K^{th} stage in the modal form are:

$$[\phi]_{K}^{T}\{X_{F}\} = \sum_{j=1}^{m} \phi_{KjZ} \left\{ \sum_{\substack{j=1\\ j \neq K}}^{n} \kappa_{tKj} \left[-R_{cj} \theta_{cj} - R_{cK} \theta_{cK} \right] \right\}$$

+
$$(x_{ci} - x_{cK})\cos \alpha_{Ki} + (y_{ci} - y_{cK})\sin \alpha_{Ki}]\cos \alpha_{Ki}$$

(17)

$$[\phi]_{K}^{T} \{Y_{F}\} = \sum_{j=1}^{m} \phi_{KjZ} \left\{ \sum_{\substack{i=1\\i\neq K}}^{n} K_{tKi} \left[-R_{ci} \theta_{ci} - R_{cK} \theta_{cK} \right] \right\}$$

+
$$(x_{ci} - x_{cK})\cos \alpha_{Ki} + (y_{ci} - y_{cK})\sin \alpha_{Ki}]\sin \alpha_{Ki}$$

 $[\phi]_{K}^{T}\{T_{F}\} = \sum_{j=1}^{m} \phi_{Kj\ell} \left\{ \sum_{\substack{i=1\\i\neq K}}^{n} R_{cK} \left[K_{tKi}(-R_{ci}\theta_{ci})\right] \right\}$

$$-R_{cK}\theta_{cK})]$$

where $\it l$ is the station location of the gear in the Kth stage (Boyd, 1987; August, 1986).

SOLUTION PROCEDURE

Rearrange the modal equations of motion developed in Eqs. (14) to (16) into:

X-equation

$$\begin{split} \{\ddot{A}\} &= -\mathbb{I} \varphi \mathbb{I}^{\mathsf{T}} \Big[C_{\mathbf{x} \mathbf{x}} \Big] \mathbb{I} \varphi \mathbb{I} \{\dot{A}\} - \mathbb{I} \varphi \mathbb{I}^{\mathsf{T}} \Big[C_{\mathbf{x} \mathbf{y}} \Big] \mathbb{I} \varphi \mathbb{I} \{\dot{B}\} - \Big[\lambda^2 \Big] \{A\} \\ &- \mathbb{I} \varphi \mathbb{I}^{\mathsf{T}} \Big[K_{\mathbf{x} \mathbf{y}} \Big] \mathbb{I} \varphi \mathbb{I} \{B\} + \mathbb{I} \varphi \mathbb{I}^{\mathsf{T}} \{ F_{\mathbf{x}}(t) + F_{\mathsf{G} \mathbf{x}}(t) \} \end{split} \tag{20}$$

Y-equation

$$\{\ddot{\mathbf{B}}\} = -\mathbb{I} \phi \mathbf{1}^{\mathsf{T}} \left[\mathbf{C}_{yy} \right] \mathbb{I} \phi \mathbf{1} \left[\dot{\mathbf{B}} \right] - \mathbb{I} \phi \mathbf{1}^{\mathsf{T}} \left[\mathbf{C}_{yx} \right] \mathbb{I} \phi \mathbf{1} \left[\dot{\mathbf{A}} \right] - \mathbb{I} \lambda^{2} \right] \{\mathbf{B}\}$$
$$- \mathbb{I} \phi \mathbf{1}^{\mathsf{T}} \left[\mathbf{K}_{yx} \right] \mathbb{I} \phi \mathbf{1} \{\mathbf{A}\} + \mathbb{I} \phi \mathbf{1}^{\mathsf{T}} \left\{ \mathbf{F}_{y}(\mathsf{t}) + \mathbf{F}_{Gy}(\mathsf{t}) \right\} \tag{21}$$

and, 0-equation;

$$\{\ddot{A}_{t}\} = -\left[\phi_{t}\right]^{T}\left[C_{T}\right]\left[\phi_{t}\right]\{\dot{A}_{t}\} - \left[\lambda_{t}^{2}\right]\left(A_{t}\right) + \left[\phi_{t}\right]^{T}\left\{F_{t}(t) + F_{Gt}(t)\right\}$$
(22)

A variable time stepping Newmark-Beta integration scheme evaluates the modal velocity and displacement at each time interval. In turn, Eqs. 9 through 11 transform the modal displacements into absolute/relative displacements in fixed coordinates.

DISCUSSION OF RESULTS

To demonstrate the application of the analytical method, a three-stage multimesh gear system serves as an example. Figure 2 shows the geometry of the gear system. Stage 1 is the driver stage. The stage 1 gear drives both the output gears directly at a speed of 1500 rpm. Its input torque of 2.25 kN-m is split equally between the two output stages. All the meshes are identical with 36 teeth and a contact ratio of 1.6 as shown in Fig. 3. Although similar, the lateral support stiffness for stage 2 is greater than that for

(18)

stage 3. The system has only minimal imbalances to make the torsional vibration of the system more pronounced than the lateral. Figure 4 shows the lateral vibration orbits for all three stages at the mesh locations. Note that the difference in orbit sizes result from the differences in imbalance and shaft stiffness for each stage. While stages 2 and 3 maintain a relative circular orbit, stage 1 exhibits an elliptical motion due to the tooth mesh stiffness interactions with stages 2 and 3.

Figures 5 and 6 show the gear mesh forces in both time and frequency domains between stages 1-2 and 3-4. A substantially larger force is present in the 1-3 mesh than in the 1-2 mesh. This is mainly due to the fact that stage 3 possesses a higher vibrational magnitude than stage 2. The orbit sizes shown in Fig. 4 illustrate this difference. Stage 3's support stiffness is

less than that of stage 2.

Table 1 lists both the undamped lateral and torsional natural frequencies of all three stages with their corresponding bearing supports. Figure 6 shows that the dominating components at stage 1-2 are the tooth mesh frequency of 900 Hz and the first stage torsional natural frequency of 355 Hz. A large average force component at zero frequency is also present. But this component does not contribute to the transmission vibrations. A considerable force also occurs at the input shaft rotational frequency of 25 Hz while a smaller component is present in the stage 2 torsional mode at 550 Hz. A small force echo is also present in stage 2 at the stage 3 torsional natural frequency of 280 Hz. Similar observations are possible with the stage 1-3 force frequency diagram.

Figure: 7 and 8 show the first three modal contributions of stage 1 in both the time and frequency domains. The corresponding mode shapes are in Fig. 9. Figure 7 shows both fixed (d.c.) and varying (a.c.) responses in each mode. The response magnitude decreases with increasing mode number. The frequency domain plot of Fig. 8 shows all the modes excited at their own natural frequencies. The ratio of fixed (d.c.) to varying (a.c.) signal magnitudes in Fig. 8 decreases as the mode number increase. Figures 10, 11 and 12 are plots of the time response, frequency response and mode shapes for the first lateral mode of each stage. These figures provide the modal information of the lateral vibration of all three stages. Note that the rotational frequency of 25 Hz is excited in all three stages. Figure 11 shows that stage 3, the first lateral frequency of 115 Hz is also excited. This is due to the characteristic of its mode shape which is shown in Fig. 12.

CONCLUSIONS

This paper presents a vibration signature analysis for multistage gear transmissions. The analysis combines gear mesh dynamics and structural modal analysis to study the transmission vibrations. This is a comprehensive method of analyzing multistage gear system with effects of geometry complexity, support flexibility, mass impalance and shaft bow. In this method:

1. The modal method transforms the equations of motion into modal coordinates to reduce the degrees-of-

freedom of the system;

Gear force observations in both the time and frequency domains provide good insights into the source of dominating response forces; Knowledge of modal excitations provide an understanding of the vibrational characteristics of the system which can result in improved transmission performance and durability; and

4. The coupling effects of connected structures such as the gearbox are easily included in the existing modal analysis without sacrificing the above advantages.

REFERENCES

August, R. and Kasuba, R., 1986, "Torsional Vibrations and Dynamic Loads in a Basic Planetary Gear System," <u>Journal of Vibration</u>, Acoustics, Stress, and Reliability in Design, Vol. 108, No. 3, pp. 348-353.

Boyd, L.S. and Pike, J., 1987, "Epicyclic Gear Dynamics," AIAA Paper 87-2042.

Choy, F.K. and Li, W.H., 1937, "Frequency Component and Modal Synthesis Analysis of Large Rotor-Bearing Systems with Base Motion Induced Excitations," <u>Journal of the Franklin Institute</u>, Vol. 323, No. 2, pp. 145-168.

Choy, F.K., Padovan, J., and Li, W.H., 1988, "Rub in High Performance Turbomachinery, Modeling, Solution Methodology, and Signature Analysis." <u>Mechanical Systems and Signal Processing</u>, Vol. 2, No. 2, pp. 113-133.

Choy, F.K., Townsend, D.P., and Oswald, F.B., 1988, "Dynamic Analysis of Multimesh-Gear Helicopter Transmissions," NASA TP-2789.

Cornell, R.W., 1981, "Compliance and Stress Sensitivity of Spur Gear Teeth," <u>Journal of Mechanical</u> <u>Design</u>, Vol. 103, No. 2, pp. 447-459.

David, J.W., Mitchell, L.D., and Daws, J.W., 1987, "Using Transfer Matrices for Parametric System Forced Response," <u>Journal of Vibration, Acoustics, Stress, and Reliability in Design</u>, Vol. 109, No. 4, pp. 356-360.

David, J.W. and Park, N., 1987, "The Vibration Problem In Gear Coupled Rotor Systems," <u>Rotating</u> <u>Machinery Dynamics</u>, Vol. 2, A. Muszynska and J.C. Simmons, eds., ASME, New York, 1987, pp. 297-303.

Lin, H., Huston, R.L., and Coy, J.J., 1988, "On Dynamic Loads in Parallel Shaft Transmissions: Part 1 - Modelling and Analysis," <u>Journal of Mechanisms</u>, <u>Transmissions and Automation in Design</u>, Vol. 110, No. 2, pp. 221-226.

Mitchell, L.D. and David, J.W., 1985, "Proposed Solution Methodology for the Dynamically Coupled Nonlinear Geared Rotor Mechanics Equations," <u>Journal of Vibration</u>, Acoustics, Stress, and Reliability in <u>Design</u>, Vol. 107.

Savage, M., Caldwell, R.J., Wisor, G.D., and Lewiciki, D.G., 1986, "Gear Mesh Compliance Modeling," NASA TM-88843.

> ORIGINAL PAGE IS OF POOR QUALITY

TABLE I. - SYSTEM NATURAL FREQUENCIES

Mode	Stage	Stage	Stage					
	1	2	3					
Torsion natural frequencies, Hz								
1 2	355	550	280					
	1090	1610	820					
Lateral natural frequencies, Hz								
1	115	160	110					
2	145	189	200					
3	190	264	260					

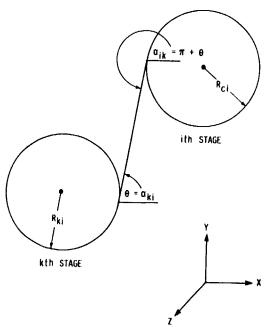


FIGURE 1. - COORDINATE SYSTEM FOR GEAR MESH FORCE AND MOMENT.

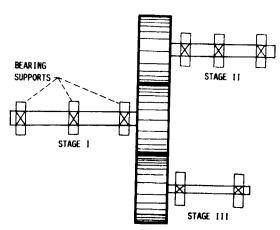


FIGURE 2. - TYPICAL THREE STAGE ROTOR-BEARING-GEAR SYSTEM.

TAGE III

FIGURE 3. - GEAR MESH SYSTEM USED AS EXAMPLE.

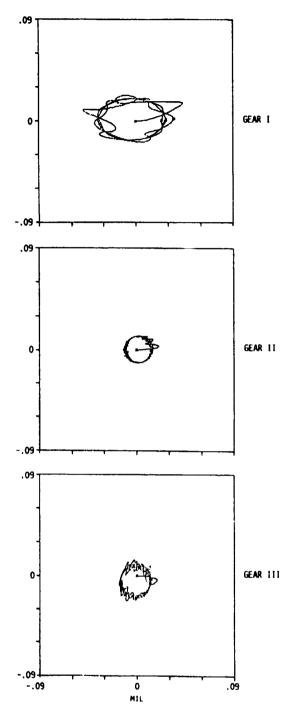


FIGURE 4. - ROTOR ORBITS AT THE GEAR LOCATIONS FOR ALL THREE STAGES.

ORIGINAL PAGE IS OF POOR QUALITY

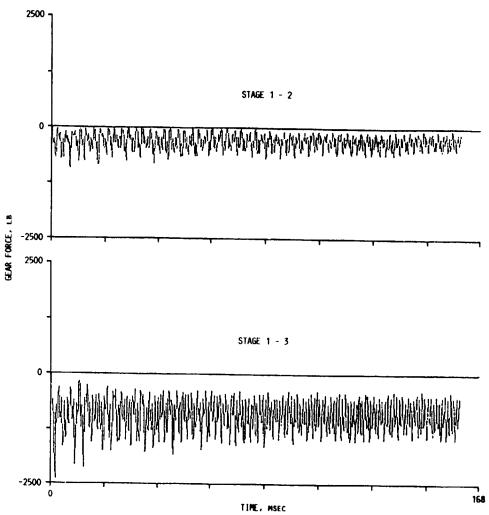
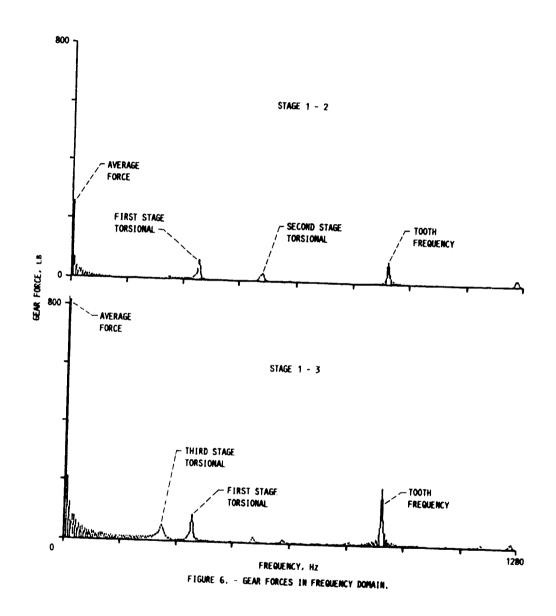
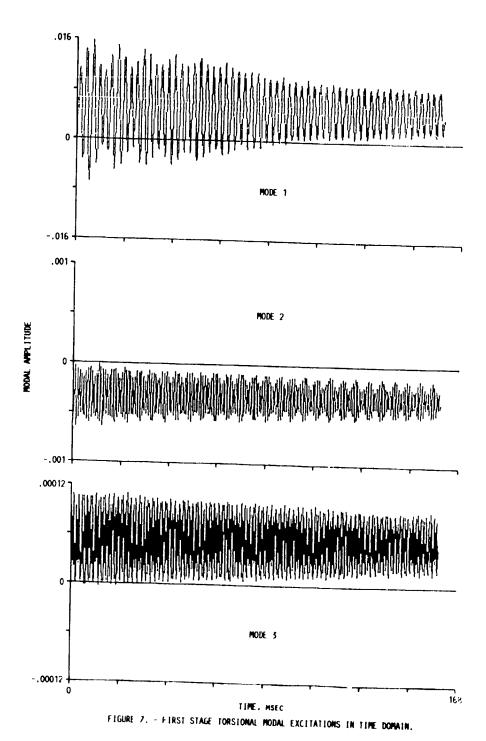


FIGURE 5. - GEAR FORCES IN TIME DOMAIN.

7





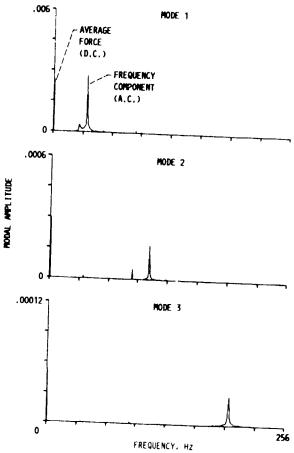


FIGURE 8. - FIRST STAGE TORSIONAL MODAL EXCITATIONS IN FREQUENCY DOMAIN.

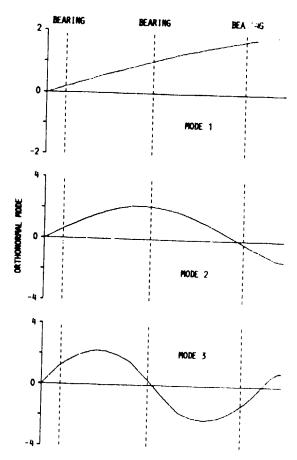
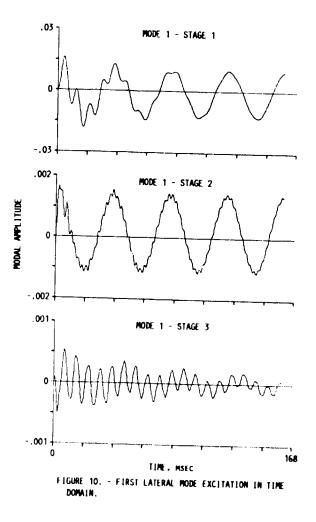
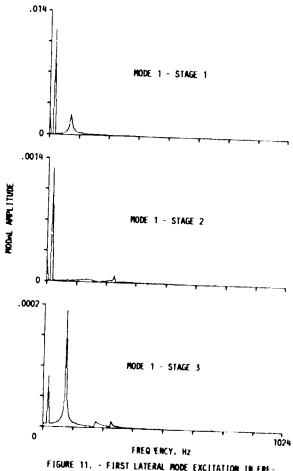
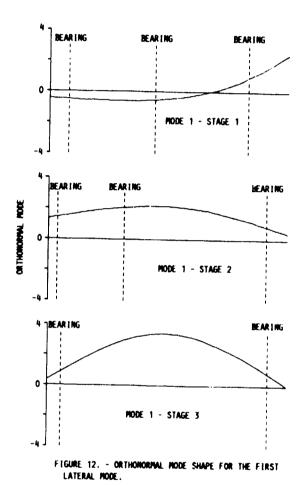


FIGURE 9. - FIRST STAGE NORMALIZED TORSIONAL MODES.







LATERIAL MODE.

National Aeronaulics and Space Administration	Report Docum	entation Pag	je		
1. Report No. NASA TM-10i442 AVSCOM TR-88-C-040	2. Government Acce	ssion NJ.	3. Recipient's Cata	alog Nc.	
4. Title and Subtitle Vibration Signature Analysis of Mu	ltistage Gear Transmis	ssion	5. Report Date		
			6. Performing Orga	anization Code	
7. Author(s)			8. Performing Orga	Inization Report No.	
F.K. Choy, Y.K. Tu, M. Savage, a	and D.P. Townsend		E-4534	E-4534	
Performing Organization Name and Address			10. Work Unit No.		
NASA Lewis Research Center	>		1L162209A47	7A	
Cleveland, Ohio 44135–3191			505 63 51		
and			11. Contract or Gran	t No.	
Propulsion Directorate					
U.S. Army Aviation Research and T	feelmology Activity—	AVSCOM			
Cleveland, Ohio 44135-3127			13. Type of Report a	and Period Covered	
Sponsoring Agency Name and Address National Aeronautics and Space Adm	ninistration		Technical Me	morandum	
Washington, D.C. 20546-0001 and			14. Sponsoring Ager	ncy C∋de	
U.S. Army Aviation Systems Comm St. Louis, Mo. 631 0-1798	and				
Supplementary Notes					
Prepared for the Fifth International Po Mechanical Engineers, Chicago, Illino Mechanical Engineering, University of	is, April 25-27, 1989.	F.K. Choy, Y.K. 7	Γu, and M. Savage,	Department of	
Abstract					
An analysis is presented for multistal system dynamics and the transmissible of the analysis treats the uncoupled later The vibration signature analysis evaluated interaction of each modal component geometry characteristics. The analysis resulting torque variations, speeds, cution signature analysis scheme examinated modal component responses. The geometry system.	ility to the gear box of iteral/torsional modal of lates the global dynam or stage with the nor is simulates transient a hanges, rotor imbalan- nes the overall dynamics.	or the enclosed structure that acteristics of earlies coupling in the alinear gear mesh cand steady state vibroes and support getic characteristics of	cture. The modal s ch stage or compon system. The method lynamics and the m tration events to det ar box motion excit f the system, and the	ynthesis approach ent independently. I synthesizes the odal support termine the tations. A vibra- ne individual	
Key Words (Suggested by Author(s)) Vibration Gears Transmission modal analysis Signature analysis		18. Distribution State Unclassified Subject Cate	- Unlimited		
11 h104 th 10 man and	100 0				
Security Classif. (of this report) Unclassified	20. Security Classif. (o Uncla	this page) issified	21. No of pages	22. Price* A03	